

Income Taxes and Entrepreneurship

Anmol Bhandari
Minnesota

David Evans
Oregon

Ellen McGrattan
Minnesota

Yuki Yao
Kent

Motivation

- ▶ US entrepreneurs actively managing businesses:
 - Have higher average incomes than paid-employed peers
 - Run firms generating most US business net income

⇒ Central role in income tax debates

Income Profiles

Net Income

Challenges

- ▶ US entrepreneurs actively managing businesses:
 - Report only half of their taxable income
 - Create business value through off-book intangible investments

⇒ Not easy to analyze

Cheating

Intangibles

This Paper

- ▶ Develops theory with occupational choice and business *sweat capital*
- ▶ Parameterizes baseline model using US NIPA and *IRS administrative tax data*
- ▶ Estimates optimal income tax rates with *transitional dynamics*
- ▶ Want:
 - To reassess/narrow a wide range of estimates in the literature
 - To understand how key parameters impact policy trade-offs

Theory

Environment

- ▶ Two business sectors:
 - Actively-managed businesses (eg, pass-throughs)
 - All other businesses (eg, C-corporate plus government enterprises)
- ▶ Households
 - Endowed with stochastic abilities
 - Face occupational choice in self- or paid-employment
- ▶ Government
 - Revenues from taxes on incomes and consumption
 - Expenditures on goods and services and transfers

Occupational Choice

- Choose employment (w) or entrepreneurship (b)

$$v(a, \kappa, s, \xi, o) = (1 - q^o) v^o(a, \kappa, s) + q^o \left[\max_{d \in \{0,1\}} d \{v^w(a, \kappa, s) + \xi\} + (1 - d) v^b(a, \kappa, s) \right]$$

where

d = occupational choice

v = pre-choice value function

v^o = value function with occupation $o = w, b$

q^o = probability of choosing occupation $o = w, b$

a = financial assets

κ = sweat capital (customer-bases, tradenames, etc)

s = shocks to productivity in self- and paid- employment

ξ = occupational taste shock

Owners' Dynamic Program

- Choose consumption, factor inputs, next period assets

$$v^b(a, \kappa, s) = \max \{u(c) - \vartheta(e) + \beta E[v(a', \kappa', s', \xi', b)]\}$$

$$\text{s.t. } a' \leq (1+r)a + (1-\tau_b)\pi + tr - (1+\tau_c)c \geq 0$$

$$\kappa' \leq (1-\delta_\kappa)\kappa + e$$

$$\pi = zf(\kappa, k_b, n_b) - (r + \delta_k)k_b - wn_b$$

$$k_b \leq \chi a$$

where

c = consumption

e = time for building sweat capital

π = business profits

z = shock to business productivity $\in s$

k_b = tangible capital rented by businesses

n_b = workers hired by businesses

τ_b, τ_c = tax rates

Owners' Dynamic Program (Dentist)

- Choose consumption, factor inputs, next period assets

$$v^b(a, \kappa, s) = \max \{u(c) - \vartheta(e) + \beta E[v(a', \kappa', s', \xi', b)]\}$$

$$\text{s.t. } a' \leq (1+r)a + (1-\tau_b)\pi + tr - (1+\tau_c)c \geq 0$$

$$\kappa' \leq (1-\delta_\kappa)\kappa + e$$

$$\pi = zf(\kappa, k_b, n_b) - (r + \delta_k)k_b - wn_b$$

$$k_b \leq \chi a$$

where

c = consumption

e = time for building patient list (κ)

π = business profits

z = shock to business productivity $\in s$

k_b = rented dental office and equipment

n_b = dental hygienists

τ_b, τ_c = tax rates

Workers' Dynamic Program

- Choose consumption and next period financial assets

$$v^w(a, \kappa, s) = \max \{u(c) + \beta E[v(a', \kappa', s', \xi', w)]\}$$

$$\text{s.t. } a' \leq (1+r)a + (1-\tau_w)w\epsilon\bar{n} + tr - (1+\tau_c)c \geq 0$$

$$\kappa' \leq (1-\lambda)\kappa$$

where

c = consumption

κ = sweat capital from previous business ownership

$\bar{n}$ = fixed time at work

ϵ = shock to work productivity $\in s$

τ_w, τ_c = tax rates

Workers' Dynamic Program (Dentist)

- Choose consumption and next period financial assets

$$v^w(a, \kappa, s) = \max \{u(c) + \beta E[v(a', \kappa', s', \xi', w)]\}$$

$$\text{s.t. } a' \leq (1+r)a + (1-\tau_w)w\epsilon\bar{n} + tr - (1+\tau_c)c \geq 0$$

$$\kappa' \leq (1-\lambda)\kappa$$

where

c = consumption

κ = patient list from previous business ownership

$\bar{n}$ = time as employee at another dental office

ϵ = shock to work productivity $\in s$

τ_w, τ_c = tax rates

Corporate Sector

- Choose hours and investment

$$v^c(k_c) = \max \left\{ (1 - \tau_d)d_c + \left(\frac{1}{1+r} \right) v^c(k'_c) \right\}$$

$$\text{s.t. } k'_c \leq (1 - \delta_k)k_c + x_c \geq 0$$

$$y_c = AF(k_c, n_c)$$

$$d_c = y_c - wn_c - x_c - \tau_p(y_c - wn_c - \delta_k k_c)$$

where

n_c = hours

x_c = investment

y_c = output

d_c = dividends

τ_d, τ_p = tax rates

Mutual Funds

- Choose asset holdings to maximize pv of dividends

$$v^m(x) = \max \left\{ d_m + \left(\frac{1}{1+r} \right) v^m(x') \right\}$$

$$\text{s.t. } d_m = ps + b + \int k_b(i)\mu(i)di - \int a(i)\mu(i)di \quad (1)$$

$$+ (1 - \tau_d)d_c s + rb + (r + \delta_k) \int k_b(i)\mu(i)di - r \int a(i)\mu(i)di \quad (2)$$

$$- [ps' + b' - \int a'(i)\mu(i)di] - \int x_b(i)\mu(i)di \quad (3)$$

where

(1) = net worth of shares, bonds, fixed assets less deposits, beginning of period

(2) = financial income earned during the period

(3) = new deposits less investments in shares, bonds, fixed assets, end of period

Competitive Equilibrium

- ▶ Given initial conditions $\{a_{i,-1}, \kappa_{i,-1}, s_{i,0}\}_{i \in [0,1]}$, a CE consists of
 - Factor prices $\{r_t, w_t\}_{t \geq 0}$
 - Individual choices $\{c_{it}, a_{it}, \kappa_{it}, d_{it}, k_{b,it}, n_{b,it}\}_{t \geq 0, i \in [0,1]}$
 - Corporate choices $\{k_{ct}, n_{ct}\}_{t \geq 0}$
 - Fiscal variables $\{G_t, T_t, B_t, \tau_{ct}, \tau_{wt}, \tau_{bt}, \tau_{pt}\}_{t \geq 0}$
- ▶ Given the prices and policies:
 - Individual choices solve individual optimality
 - Corporate choices maximize profits
 - Government budget holds
 - Markets clear

Calibrating the Model

Calibrating the Model

- ▶ Macro moments (easy)
 - National income and product accounts (BEA)
 - Aggregate tax data (IRS)
- ▶ Micro moments (harder)
 - Surveys of business owners (Census)
 - Tax filings of business owners (IRS)

Key Parameters Calibrated

- ▶ Tax rates on incomes, τ_{bt}, τ_{wt}
 - To match effective after-audit tax rates
- ▶ Productivity processes, $\{z_t, \epsilon_t\}$
 - To match business income shares and growth rates
- ▶ Occupational switching, $\sigma_\xi, q^b, \lambda, \vartheta(e) = \omega e^\eta / \eta$
 - To match business entry and exit rates [Hazard plots](#)
- ▶ Collateral constraint, $k_b \leq \chi a$
 - To match S corporation and partnership loans to GDP

Targeted Business Income Moments

- ▶ Two calibration targets from IRS study[†]
 - Top 10% of business owners earn 70% of total business income
 - Distribution of business income growth Distribution
- ▶ Wage productivity process ϵ_t calibrated similarly

[†] Bhandari et al. (2025), “On the Nature of Entrepreneurship”

Business Productivity: Random Walk with Reset

- ▶ Business log productivity governed by $\ln z$:

$$\ln z_{t+1} = \begin{cases} 0, & \text{with probability } pr_z, \\ \ln z_t + \sigma_z \zeta_{t+1}, & \text{with probability } 1 - pr_z, \end{cases}$$

- σ_z : dispersion of productivity innovations
 - pr_z : probability of resetting productivity to its initial level
 - $\zeta \sim \mathcal{N}(0, 1)$
- ▶ Dispersion of innovation controls distribution of business income growth
- ▶ Frequency of resets controls top 10% income share
- ▶ Productivity resets ensure the process is stationary

Macro Moments: BEA

National Income and Product			Government Budget		
	Model	Data		Model	Data
GDP shares	100	100	Expenditures (% of GDP)	27	28
Consumption	64	68	Transfers	20	21
Investment	32	28	Net interest	3	3
Defense	4	4	Defense	4	4
GDI shares	100	100	Revenues (% of GDP)	27	28
Sweat income	9	9	Taxes on income	23	24
Compensation	46	46	Taxes on consumption	4	4
Capital income	45	45			

Macro Moments: IRS

- ▶ Combine S-corporation and partnership debt liabilities:
 - ▶ Mortgages, notes, bonds payable (short- and long-term)
 - ▶ Nonrecourse loans
 - ▶ Loans from shareholders
 - ▶ Loans from partners

⇒ 39.8% of GDP in data compared to 39.6% in model

Micro Moments: Business Income

		Model	Data
Profit share	Top 10%	0.70	0.70
Profit growth	10 th percentile	− 0.59	−0.54
	25 th	− 0.28	−0.20
	50 th	0.03	0.02
	75 th	0.44	0.32
	90 th	1.07	1.09
	Autocorrelation	0.02	−0.18

Micro Moments: Business Entry and Exit

	Model	Data
Entry rate, average	0.022	0.020
Exit rates by business age		
Age ≤ 1	0.37	0.37
Age 2–6	0.18	0.19
Age > 6	0.10	0.11
All ages	0.22	0.21

Model Predictions

► Results:

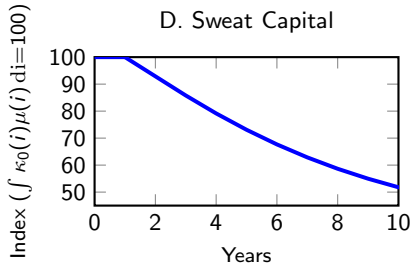
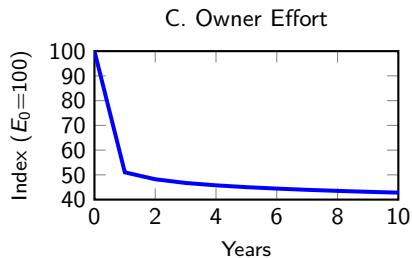
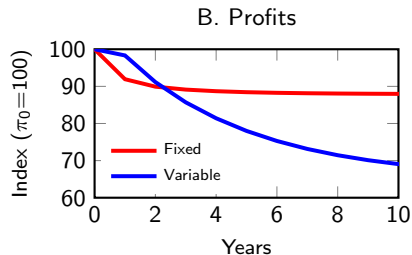
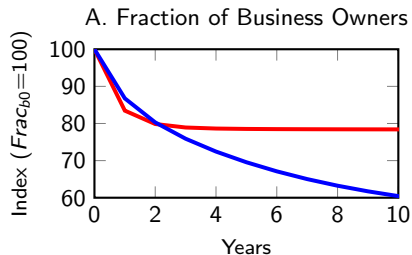
- Transitions with $\tau_b = 40\%$ in new steady state $\Rightarrow$ full enforcement
- Optimal τ_b^* and consumption-equivalent welfare gains

► Two economies:

- Sweat capital fixed
- Sweat capital variable

Model Predictions

Transitions, τ_b : 20% $\rightarrow$ 40%



Business Tax Elasticities

► Predicted elasticities $\Delta \ln X_t / \Delta \ln(1 - \tau_{bt})$

○ Intensive margin (employment):

Short-run = 0.1

Long-run = 0.3

○ Aggregate elasticity (business profits):

Short-run = 0.3

Long-run = 1.3

► In line with Giroud-Rauh (2019) study of pass-throughs

Details

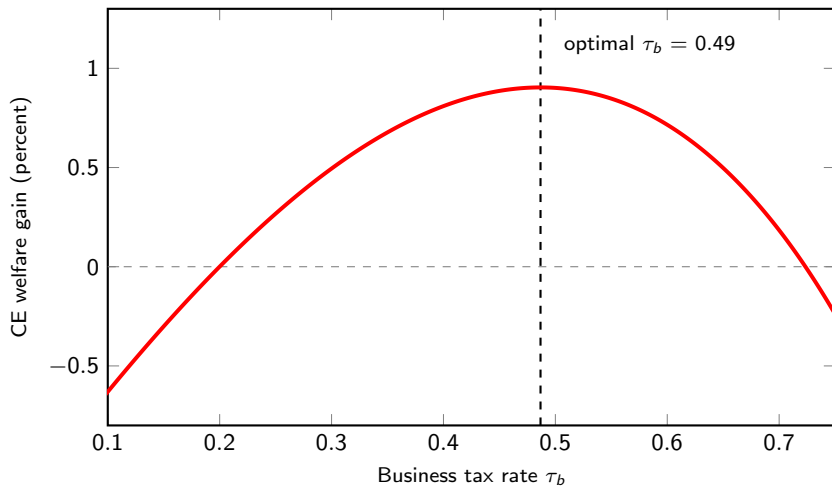
Optimal Taxation

Optimal Taxation

- ▶ Current US system:
 - Weak enforcement of private business
 - Low effective rates on owner profits
- ▶ Primary concerns motivating reforms:
 - Too little insurance and redistribution
 - Misallocated resources
 - Distorted entry and investment

Let's consider the fixed- and variable-sweat economies in turn

Welfare in Fixed-Sweat Economy

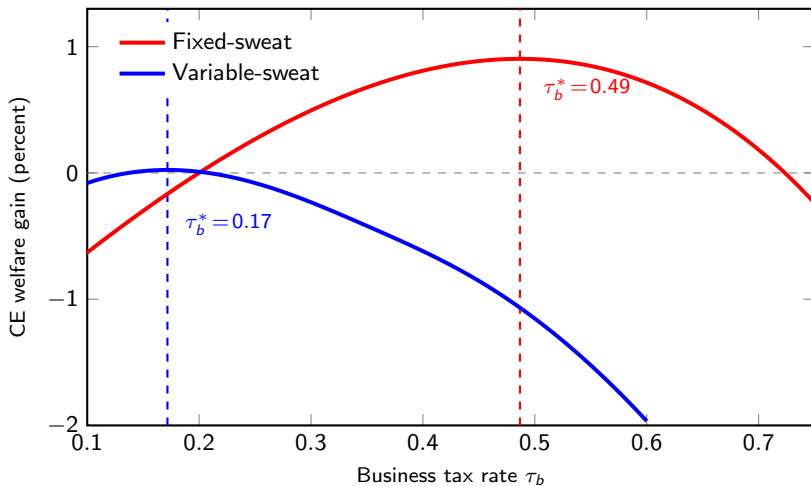


Welfare in Fixed-Sweat Economy

- ▶ Results similar to
 - Theoretical studies of canonical firm dynamics model (Lucas 1978)
 - Quantitative studies of taxing entrepreneurs (Bruggemann 2021 and Imrohoroglu et al. 2023)
- ▶ Relatively inelastic business activity supports a high optimal tax

Next consider the variable-sweat economy

Welfare in Variable- and Fixed-Sweat Economies



Welfare in Variable-Sweat Economy

- ▶ Optimum is well below the fixed-sweat economy
- ▶ Welfare gain is 0.01% at $\tau_b^* = 17\%$ vs 1% at $\tau_b^* = 49\%$ in the fixed-sweat economy
- ▶ Key reason is higher elasticity of business activity in variable-sweat model

Role of Transition Dynamics

- ▶ Optimum with transition dynamics

- Gain of 0.024%
- Tax rate of 17.2%

- ▶ Optimum in steady state

- Gain of 0.78%
- Tax rate of 0.2%

⇒ Steady-state analysis overstates the welfare gain and understates the optimal tax rate

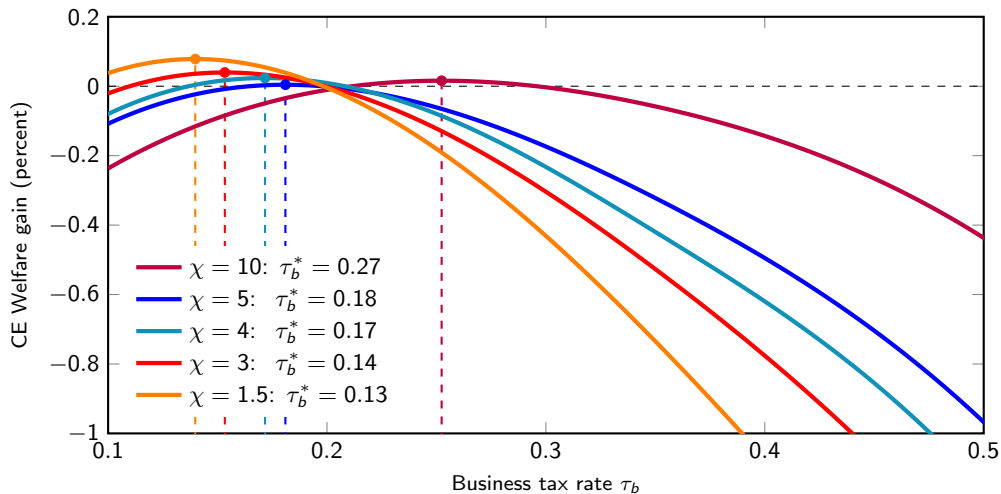
Role of Collateral Constraints

- ▶ Vary χ in $k_b \leq \chi a$
- ▶ Predicted loan shares:

χ	Loan-to-GDP (%)
1.5	12.0
3	31.5
4	39.6
5	45.7
10	62.3

How does the optimal tax change?

Optimal Tax Rates across Collateral Constraints

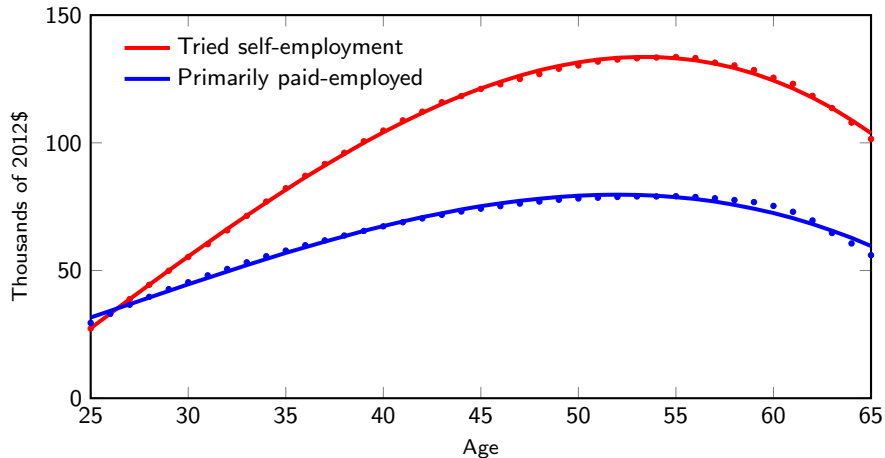


Summary

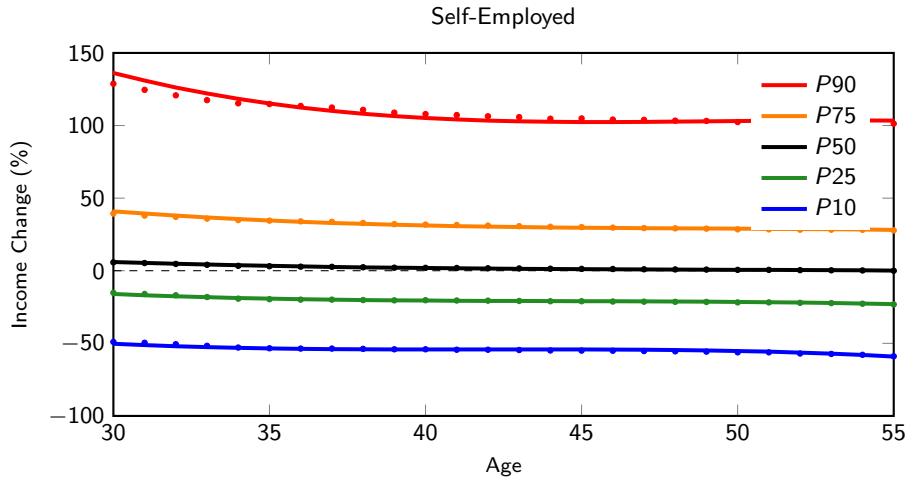
- ▶ Optimal rate of 17.2% is
 - Slightly lower than current effective rate in US
 - Significantly different from estimates in literature
- ▶ Quantitative role of
 - Transitional dynamics are consequential
 - Commonly-used collateral constraints are inconsequential

Appendix

Income Profiles

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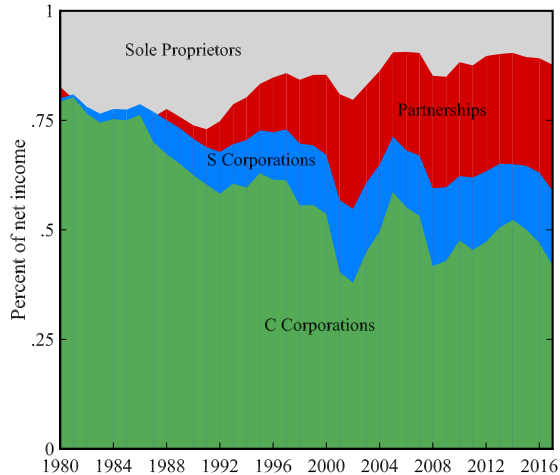
Source: Bhandari et al. (2025), "On the Nature of Entrepreneurship"



Source: Bhandari et al. (2025), "On the Nature of Entrepreneurship"

Growth in Pass-Throughs

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Source: IRS Integrated Business Data

Section 197 Intangibles

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- ▶ Most capital is **not observable until transferred**
- ▶ Transferred assets are primarily **intangible** (from Form 8594 $\approx 70\%$)
 - Customer bases and client lists, non-compete covenants
 - Trademarks and tradenames
 - Licenses and permits
 - Workforce in place
 - Goodwill and going concern value
- ▶ Assets are **sold as a group**
- ▶ Sale **requires time** to find buyers/negotiate (typical from brokered data ≈ 7 months)

Form 8594 Asset Acquisition Statement Under Section 1361

Buyer Name (S/S) Seller Name (S/S)

Date of Sale City or town, state, and ZIP code

Date of sale Total sales price (consideration)

Part I Original Statement of Assets Transferred

Class	Aggregate fair market value (market amount for Class)	Allocation of sales price
Class I		
Class II		
Class III		
Class IV		
Class V		
Class VI and VII		
Total		

1. Did the purchaser and seller provide for an allocation of the sales price in the sales contract or in another written document agreed to by both parties? ☐ Yes ☐ No

2. If "Yes," are the aggregate fair market values (FMV) listed for each of asset classes I, II, III, IV, V, VI, and VII the amounts agreed upon in your sales contract or in a separate written document? ☐ Yes ☐ No

3. In the purchase of the group of assets for which, did the purchaser also purchase a license or a covenant not to compete, or enter into a lease agreement, employment contract, management contract, or similar arrangement with the seller for managers, directors, owners, or employees of the seller? ☐ Yes ☐ No

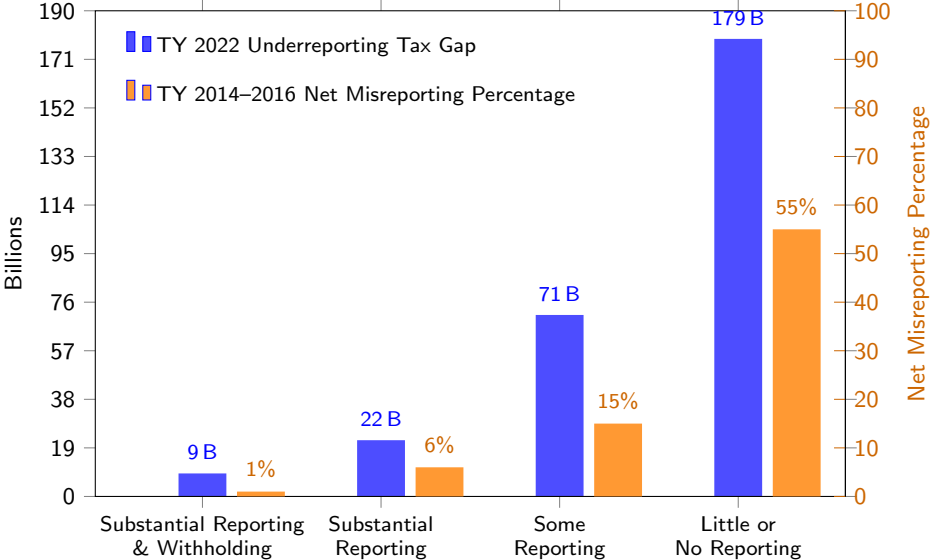
4. If "Yes," attach a statement that specifies (a) the type of agreement and (b) the maximum amount of consideration (not including interest) paid or to be paid under the agreement. See instructions.

Cash/securities
Inventories
Fixed assets
Sec. 197 intangibles

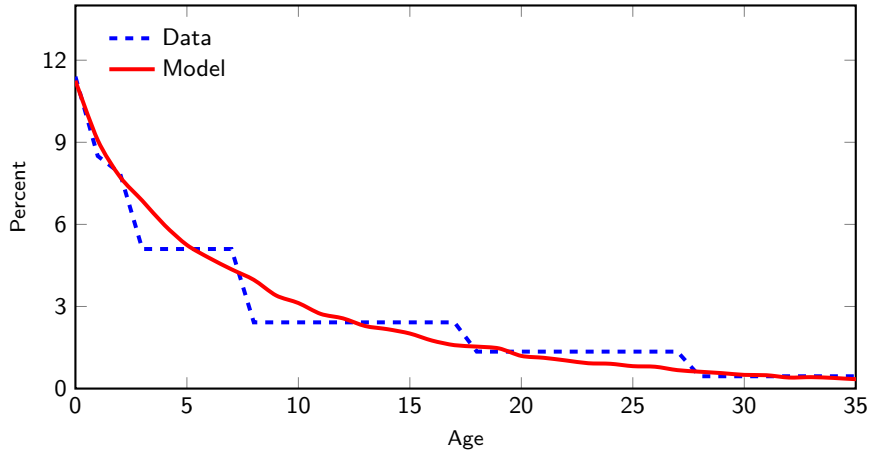
Source: "Capital Reallocation and Private Firm Dynamics," Bhandari, Martellini, McGrattan (2025)

Less Visibility Leads to Greater Misreporting (Source: IRS)

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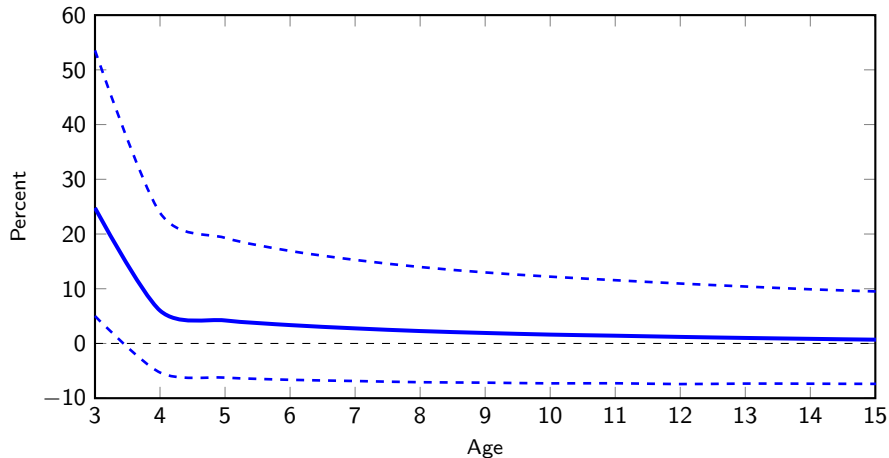


Age Distribution of Businesses

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Source: Bhandari and McGrattan (2021), "Sweat Equity in U.S. Private Business"

Distribution of Annualized 3-Year Growth

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Source: "Capital Reallocation and Private Firm Dynamics," Bhandari, Martellini, McGrattan (2025)

- ▶ Dynamic programming with two endogenous states and a discrete choice
- ▶ Standard value-function iterations are very slow
- ▶ Overcoming challenges in applying a faster EGM-type method:
 1. Two endogenous states requires interpolation over a non-rectangular 2-D grid
 - ⇒ Use 1-D interpolation per state variable
 2. Discrete choice implies the FOCs insufficient
 - ⇒ Drop non-optimal choices by comparing value functions

► Perturbation method:

- Stack *all* individual optimality plus market clearing conditions into $\mathcal{F}$
 - Let Z_{-1} = initial aggregate state and distribution over states
 - Let X_t = aggregate variables that are not distributions
 - Let the stacked system be denoted by $\mathcal{F}(\{X_t\}, Z_{-1}) = 0$
- Add taste shocks with positive variance to handle discrete choice manifold[†]
- Replace $\mathcal{F}$ with Taylor expansion around *post-reform* steady state
- Characterize dynamics as sequence of linear systems for *directional derivatives*
- Pre-compute coefficients of linear systems using final steady state means

⇒ Fast, scalable, and efficient

[†] Bhandari, Evans, McGrattan (2025)

		Model	Data
Wage share	Top 7.9%	0.28	0.29
Wage growth	10 th percentile	-0.36	-0.24
	25 th	0.00	-0.06
	50 th	0.00	0.03
	75 th	0.00	0.15
	90 th	0.42	0.44
	Autocorrelation	-0.07	-0.13

Calibration Details

- ▶ Choose the parameters to minimize the distance between model and targeted moments
 - ▶ Sweat production and depreciation parameters (ω, η, λ)
 - ▶ Occupational choice shock parameters (σ_ξ, q^b)
 - ▶ z-process parameters (pr_z, σ_z)
- ▶ Targeted moments:
 - ▶ Entry rate, exit rates by business age (≤ 1 , $2-6$, > 6)
 - ▶ Top 10% business income share, P90–P10 spread in business-income growth
- ▶ Objective function:

$$J(\theta) = \sum_{m \in \mathcal{M}} \left(\frac{m(\theta) - m^{\text{data}}}{s_m} \right)^2 + \sum_j \left(\frac{R_j(\theta)}{c_j} \right)^2.$$

$m(\theta)$: targeted moments, $R_j(\theta)$: equilibrium residuals.

- ▶ σ_ε is necessary to generate a sufficiently high entry rate
 - ▶ With very small σ_ε , the entry rate is too low
- ▶ q^b is necessary to generate a smooth decline in exit rates, especially at ages 2–6

Some Computational Challenges

- ▶ Want to compute transition dynamics and optimal taxes
- ▶ Need to deal with
 - Large state space with two endogenous states
 - Discrete occupational choice
 - Long transition periods

Addressing the Challenges

- ▶ Want to compute transition dynamics and optimal taxes
- ▶ Developed
 - Variant of EGM algorithm on 2-dimensional grid
 - Approximation method for transition dynamics with discrete choice
 - Memory-saving techniques for long transitions (need $T > 500$)

EGM

Transitions

Parameters

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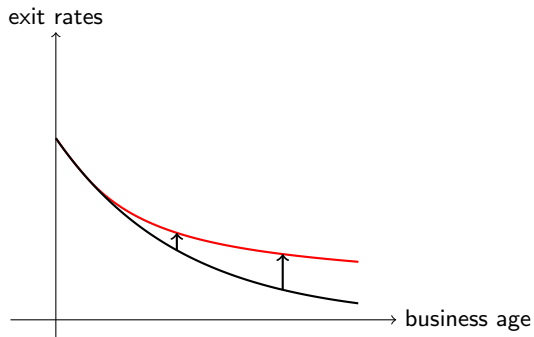
Parameter	Description	Value
Preferences		
σ	Risk aversion	2
ω	Disutility of sweat building scale	10
η	Disutility of sweat building curvature	1.51
β_o	Unadjusted discount factor	0.99
γ	Economic growth rate (%)	2
β	Growth adjusted discount factor	0.97
Private Business		
χ	Collateral constraint looseness	4
ϕ	Sweat capital share in production	0.30
α	Physical capital share	0.29
ν	Labor share	0.41
δ_κ	Owner sweat depreciation (%)	5.8
λ	Worker sweat depreciation (%)	22
Other Business		
A	Corporate TFP	0.48
θ	Capital share in corporate production	0.53
δ_k	Tangible capital depreciation (%)	4.1

Parameter	Description	Value
Taxes		
τ_b	On business income	0.20
τ_w	On labor income	0.37
τ_c	On consumption	0.06
τ_p	On corporate profits	0.20
Government Spending		
tr	Lump-sum transfer	0.30
G	Government spending	0.06
B	Government debt	2.64
Income Shocks		
σ_z	Std. dev. of random-walk z innovation	0.140
pr_z	Probability of resetting z	0.196
σ_ϵ	Std. dev. of random-walk ϵ innovation	0.226
pr_ϵ	Probability of resetting ϵ	0.098
Taste Shocks		
σ_ξ	Scale of Gumbel shocks	0.07
q^b	Switch opportunity, b	0.69
q^w	Switch opportunity, w	1.00

Decline in Sweat Deterioration in Paid Work, λ

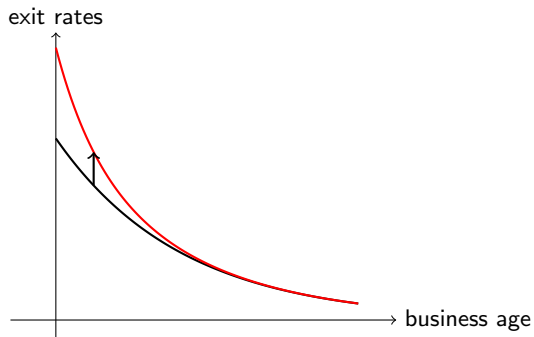
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- Higher λ has little effect on initial exit, but raises exit rates at later ages



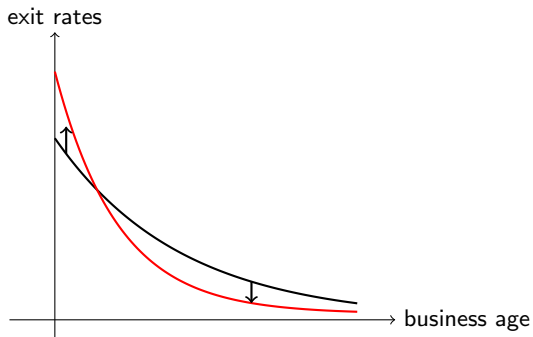
Increase in Scale Parameter of $\vartheta(e) = \omega e^\eta / \eta$

- ω affects initial exit rates



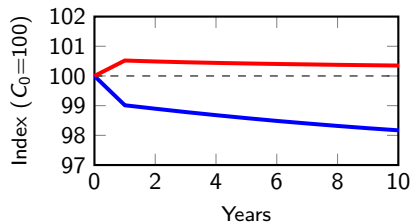
Increase in Curvature Parameter of $\vartheta(e) = \omega e^\eta / \eta$

- η affects how steeply exit rates decline with business age

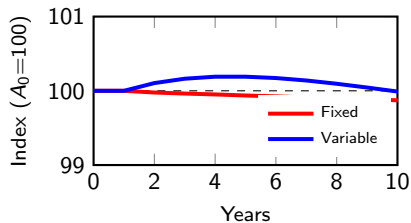


Transitions, τ_b : 20% $\rightarrow$ 40%

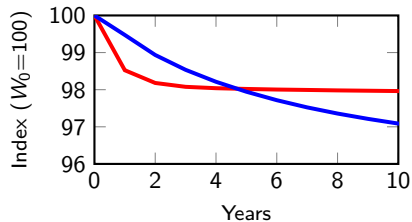
A. Consumption



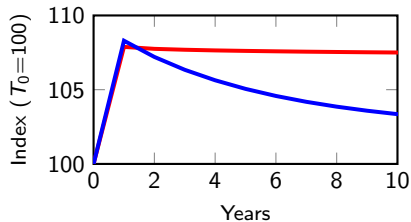
B. Financial Assets



C. Wages

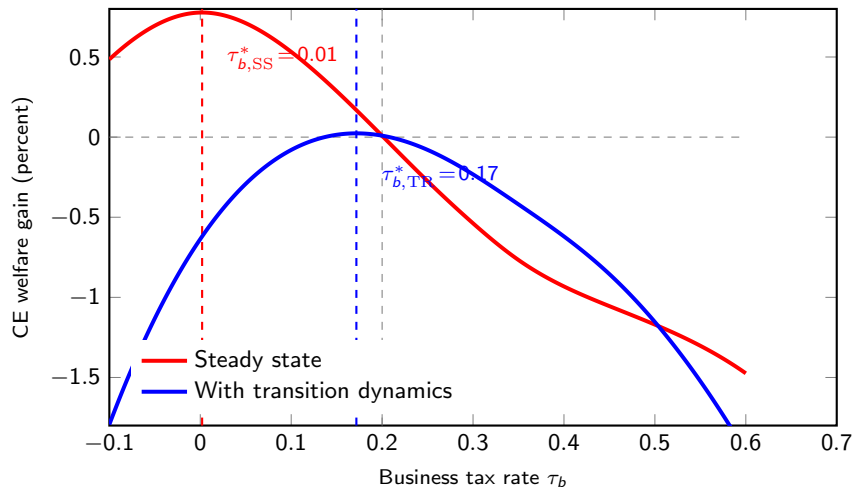


D. Transfers



- ▶ Empirical findings of Giroud and Rauh (2019)
 - Studies impact of state tax policy changes on business activity
 - Exploits fact that C corps and pass-throughs taxed differently
 - Estimates tax elasticities over horizons of 1 to 10 years
 - Finds elasticities for pass-throughs:
 - Intensive margin (employment): 0.2 (short-run) to 0.4 (long-run)
 - Extensive margin (establishments): 0.4 (short-run) to 0.9 (long-run)
- ▶ Our theoretical findings
 - Uses the transition results to compute $\Delta \ln X_t / \Delta \ln(1 - \tau_{bt})$
 - Constructs “twins” with and without reform for intensive margin
 - Finds elasticities:
 - Intensive margin (employment): 0.1 (short-run) to 0.3 (long-run)
 - Aggregate elasticity (profits): 0.3 (short-run) to 1.3 (long-run)

Role of Transition Dynamics: Variable-Sweat Economy

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Laffer Curve of Business Tax Revenue

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- ▶ Another perspective on tax elasticities
 - How much revenue can be raised?
 - How targeted can tax policy be?

⇒ Look at the Laffer curve

Laffer Curve of Business Tax Revenue

